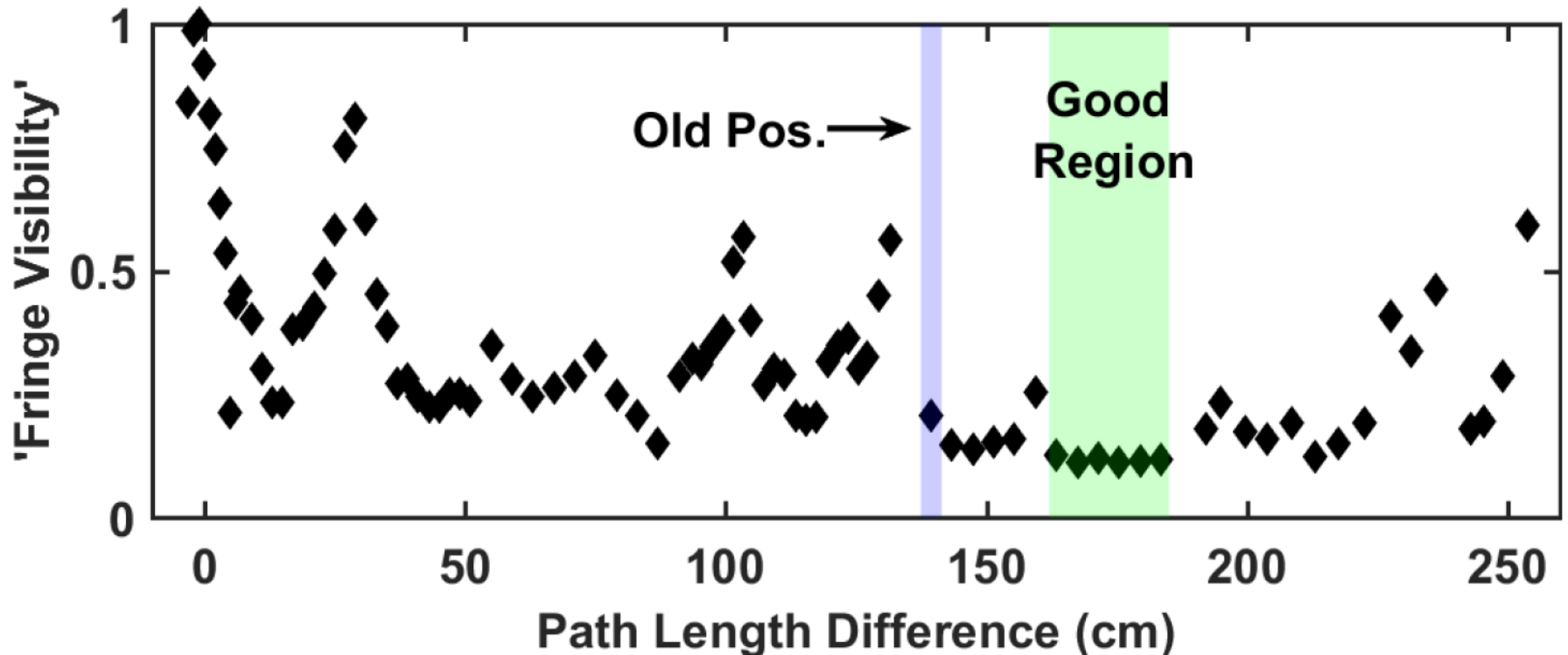


Fringe Visibility Example

- High power 1064 nm Nd:YAG laser, 10 W.
- Determine coherence length for a crossed optical dipole trap.
- Revivals of coherence are probably due to multiple longitudinal modes.



1st Order Coherence

- ✓ 1. What's **coherence**?
- ✓ 2. **Spatial Coherence.**
- ✓ 3. **Temporal Coherence.**
- ✓ 4. 1st order **correlation function.**
- ✓ 5. **Wiener-Khintchine**
6. **Mode-locked lasers**

Optical Frequency Combs

A frequency comb is also a pulsed laser:



A *mode-locked laser* produces the shortest possible pulse:

$$\vec{E}_{total}(t) = \sum_{n=1}^N \vec{E}_0 \cos((\omega_0 + n\Delta\omega)t + \phi_n)$$

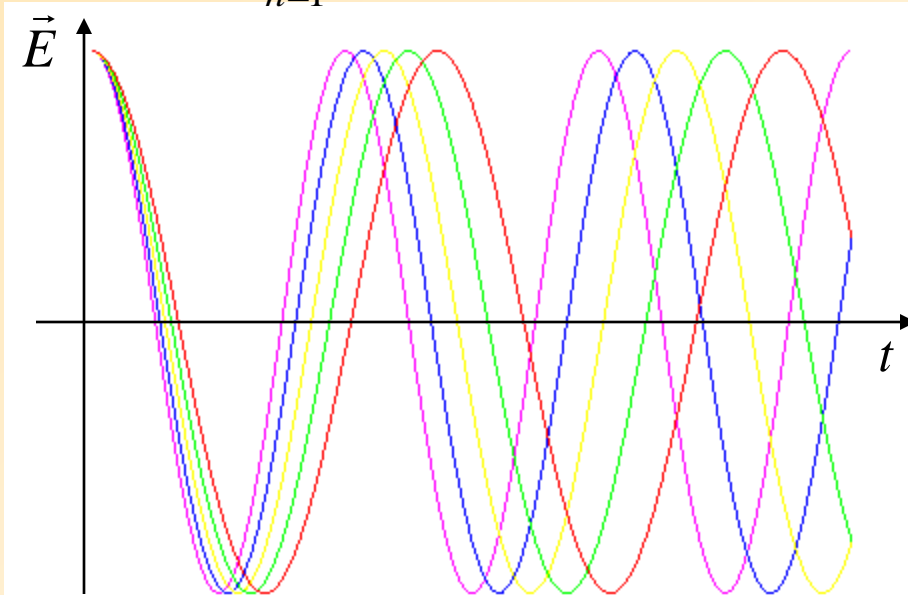
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$$N=5$$

$$\Delta\omega = \omega/10$$

$$\phi_n = 0$$

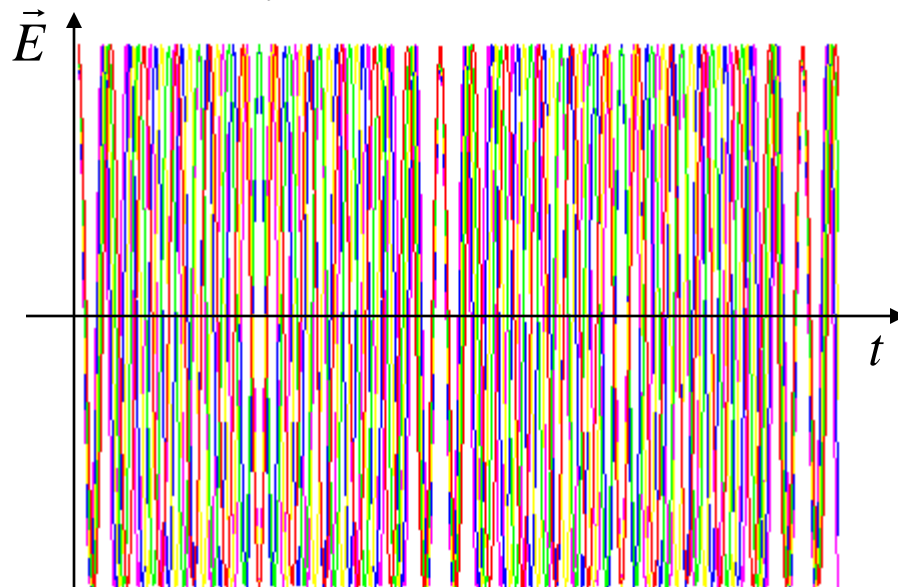
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On a longer time scale, the plot repeats every $T = 2\pi / \Delta\omega$

Optical Frequency Combs

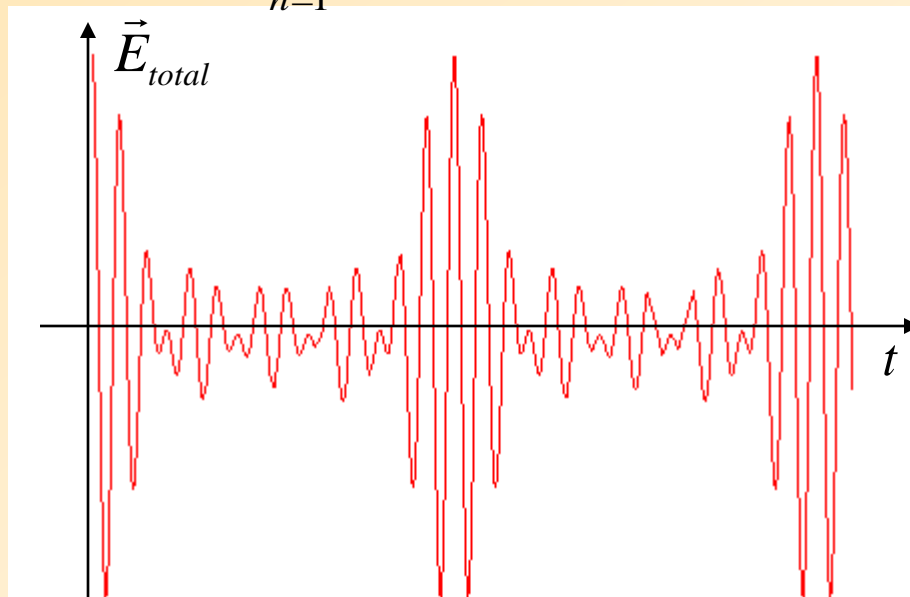
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A *mode-locked laser* produces the shortest possible pulse:

$$\vec{E}_{total}(t) = \sum_{n=1}^N \vec{E}_0 \cos((\omega_0 + n\Delta\omega)t + \phi_n)$$

The total electric field is pulsed!!!



$$N=5$$

$$\Delta\omega = \omega/10$$

$$\phi_n = 0$$

On a longer time scale, the plot repeats every $T = 2\pi / \Delta\omega$

Optical Frequency Combs

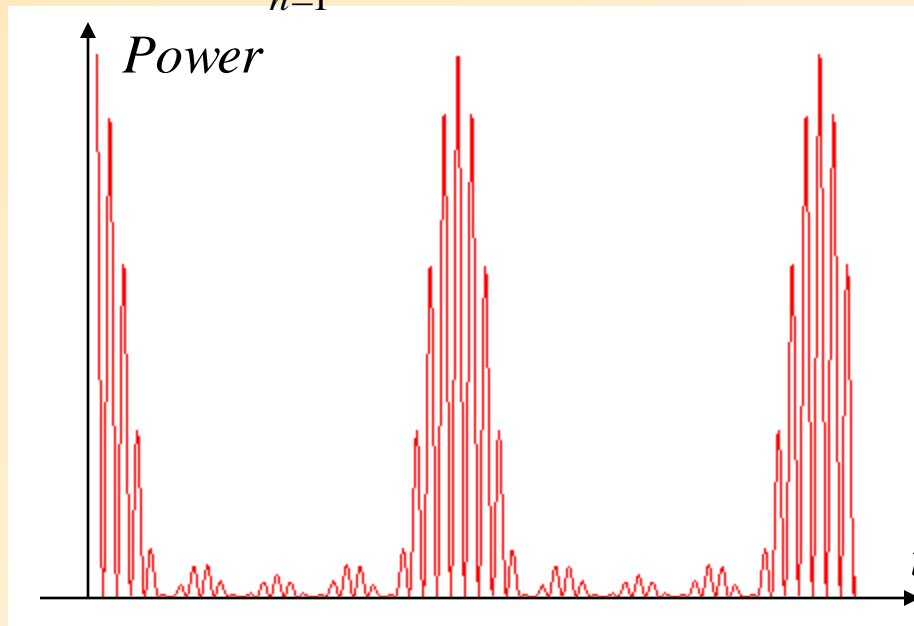
A frequency comb is also a pulsed laser:



A *mode-locked laser* produces the shortest possible pulse:

$$\vec{E}_{total}(t) = \sum_{n=1}^N \vec{E}_0 \cos((\omega_0 + n\Delta\omega)t + \phi_n)$$

The total power is pulsed!!!



$$N=5$$

$$\Delta\omega = \omega/10$$

$$\phi_n = 0$$

On a longer time scale, the plot repeats every $T = 2\pi / \Delta\omega$

Optical Frequency Combs

A frequency comb is also a pulsed laser:

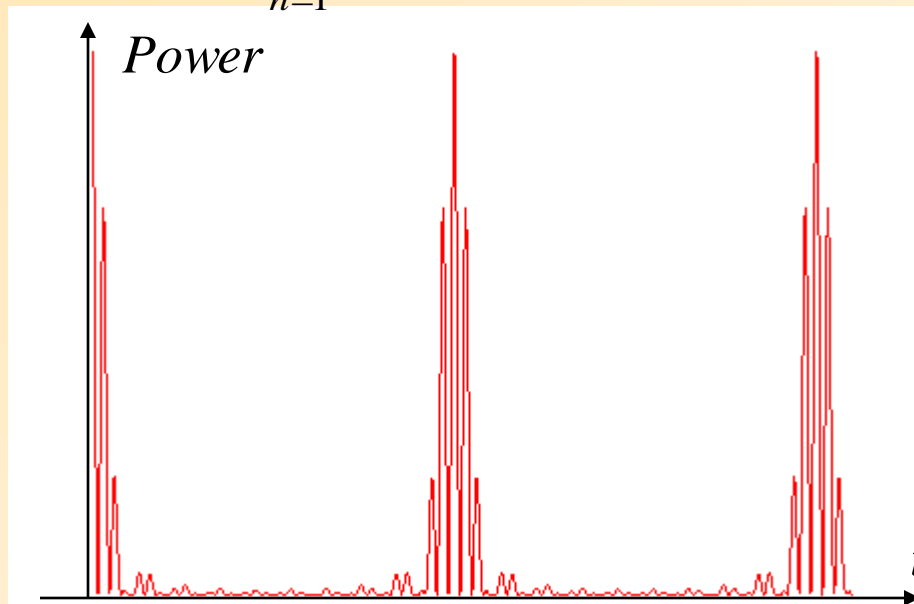


A *mode-locked laser* produces the shortest possible pulse:

$$\vec{E}_{total}(t) = \sum_{n=1}^N \vec{E}_0 \cos((\omega_0 + n\Delta\omega)t + \phi_n)$$

The total power is pulsed!!!

more comb teeth
=
shorter pulses



$$N=10$$

$$\Delta\omega = \omega/10$$

$$\phi_n = 0$$

On a longer time scale, the plot repeats every $T = 2\pi / \Delta\omega$

Optical Frequency Combs

A frequency comb is also a pulsed laser:

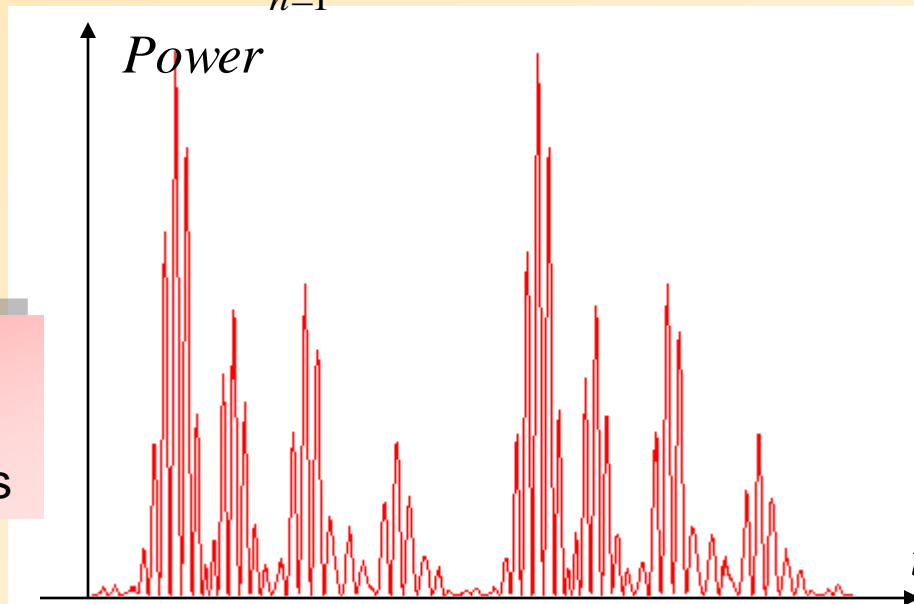


A *mode-locked laser* produces the shortest possible pulse:

$$\vec{E}_{total}(t) = \sum_{n=1}^N \vec{E}_0 \cos((\omega_0 + n\Delta\omega)t + \phi_n)$$

The total power
is pulsed!!!

random phases
=
broad random pulses



$$N=10$$

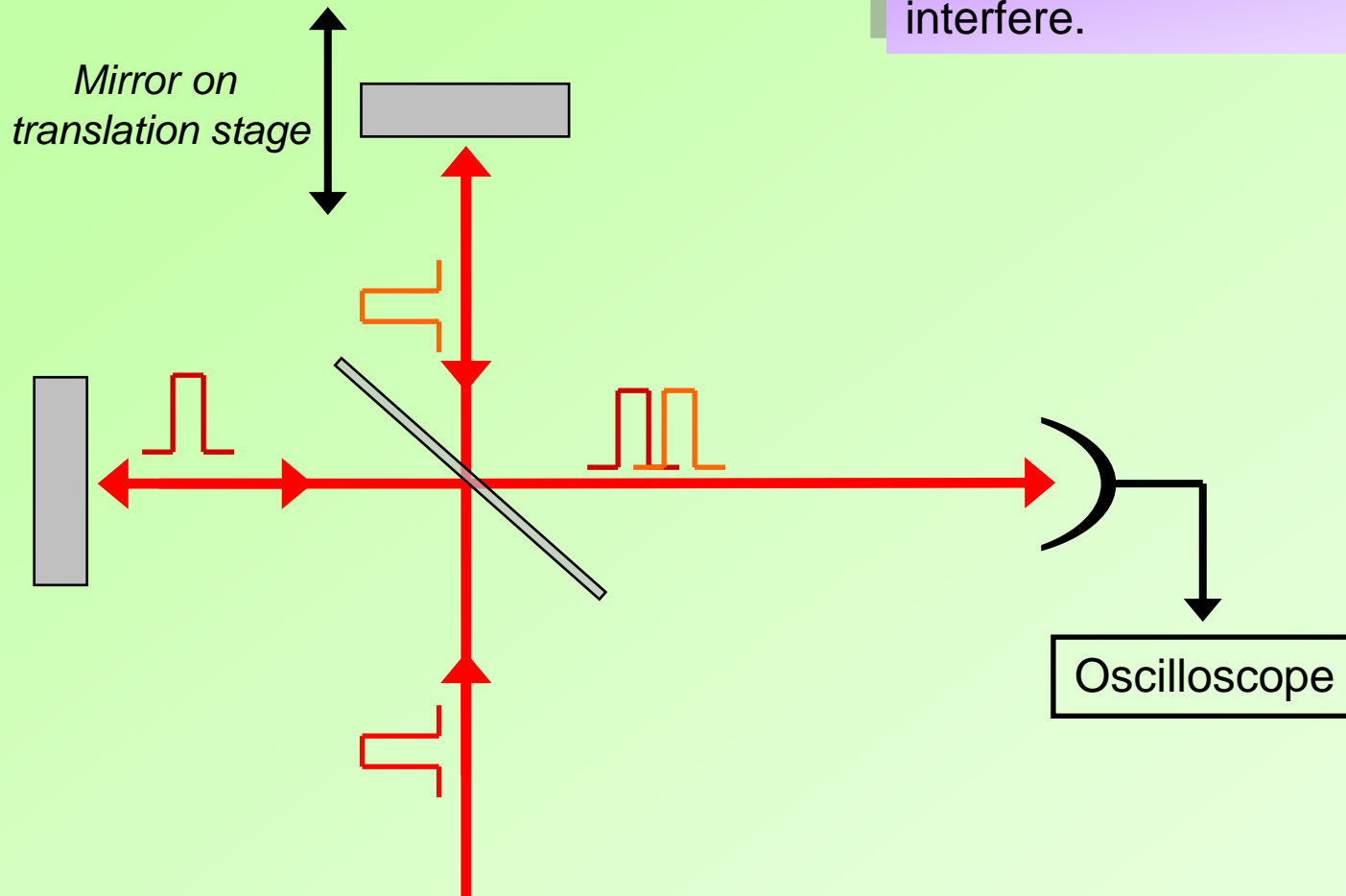
$$\Delta\omega = \omega/10$$

$$\phi_n = \text{random}$$

On a longer time
scale, the plot
repeats every
 $T = 2\pi / \Delta\omega$

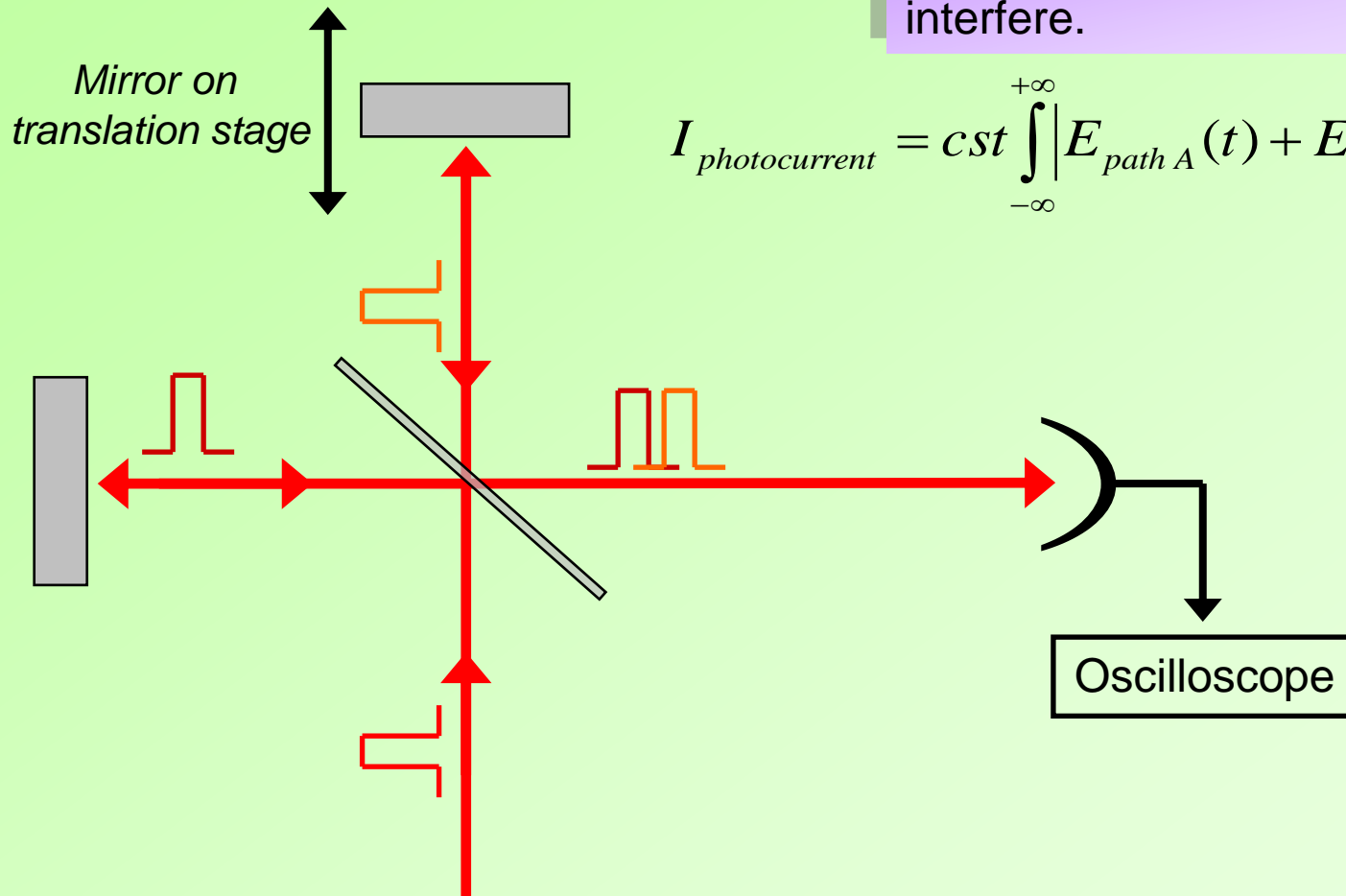
Can you use a Michelson interferometer to measure the pulse time?

Basic principle: When the recombined pulses from both arms overlap, they interfere.



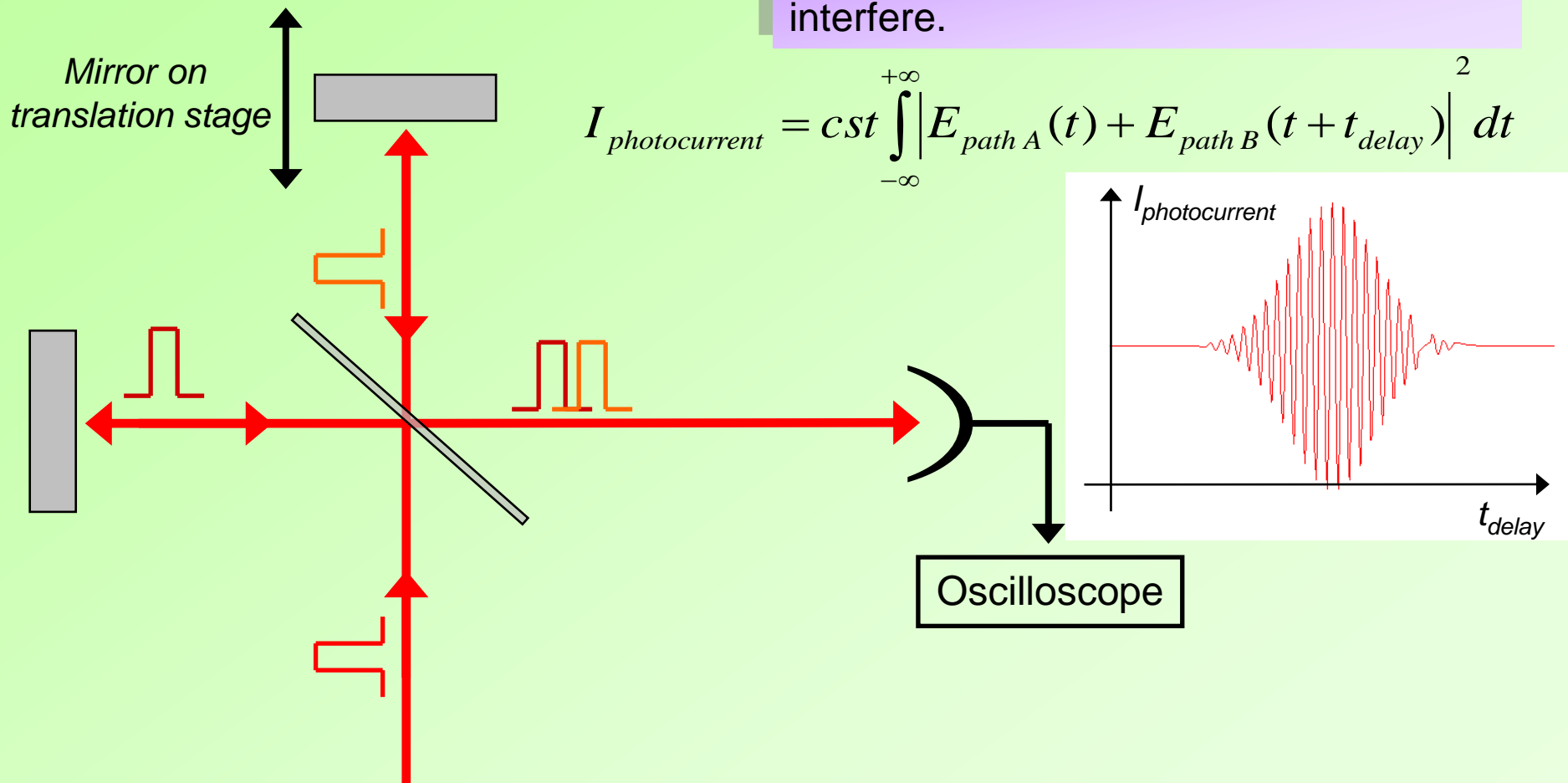
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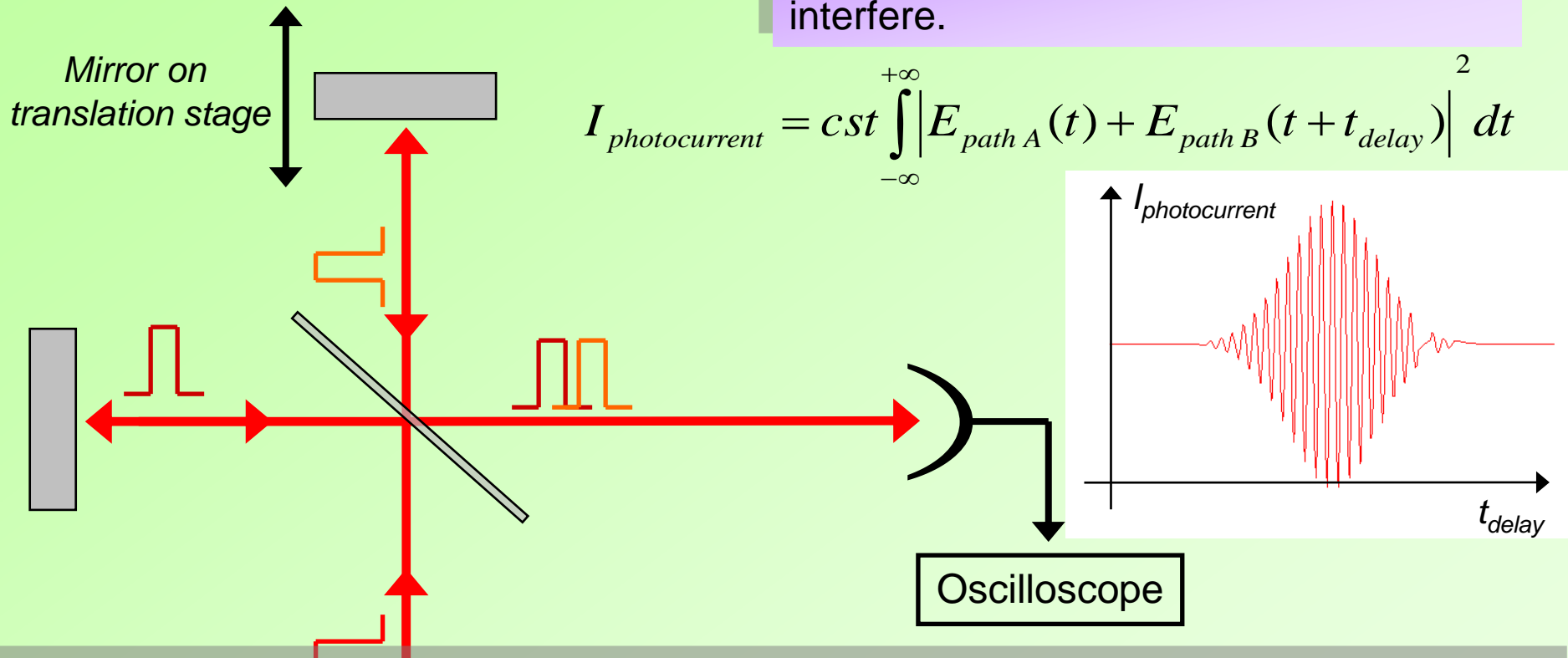
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Can you use a Michelson interferometer to measure the pulse time?

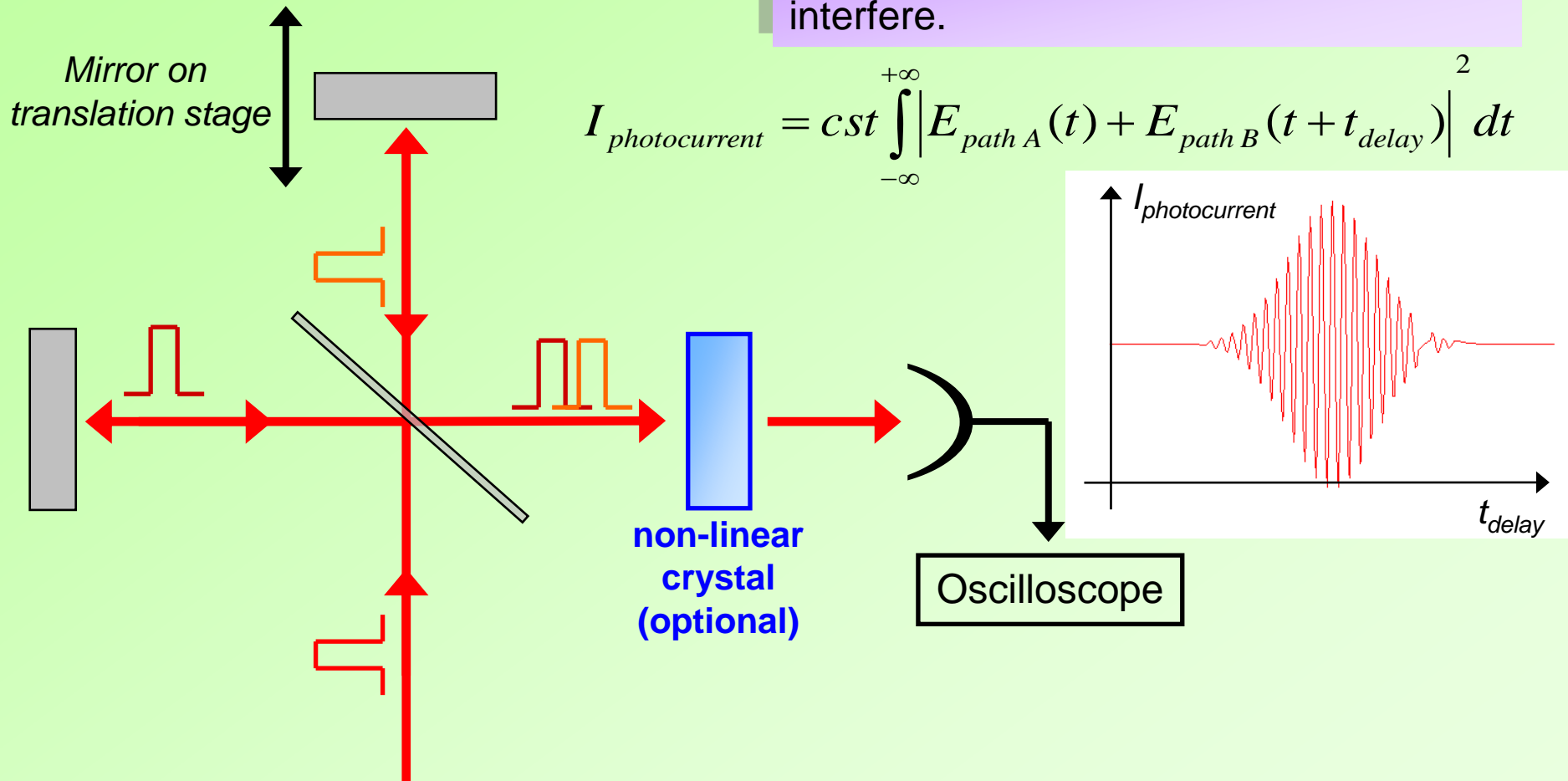
Basic principle: When the recombined pulses from both arms overlap, they interfere.



Answer: **NO !!!** Michelson only measures spectral width!

Can you use a Michelson interferometer to measure the pulse time?

Basic principle: When the recombined pulses from both arms overlap, they interfere.



2nd Order Coherence

1. Degree of second order coherence
2. Classical view: Time-domain
3. Quantum view: Coincidence measurements
4. Thermal Light vs. Laser Light
5. Coherence of atomic sources

$g^{(2)}(\tau)$

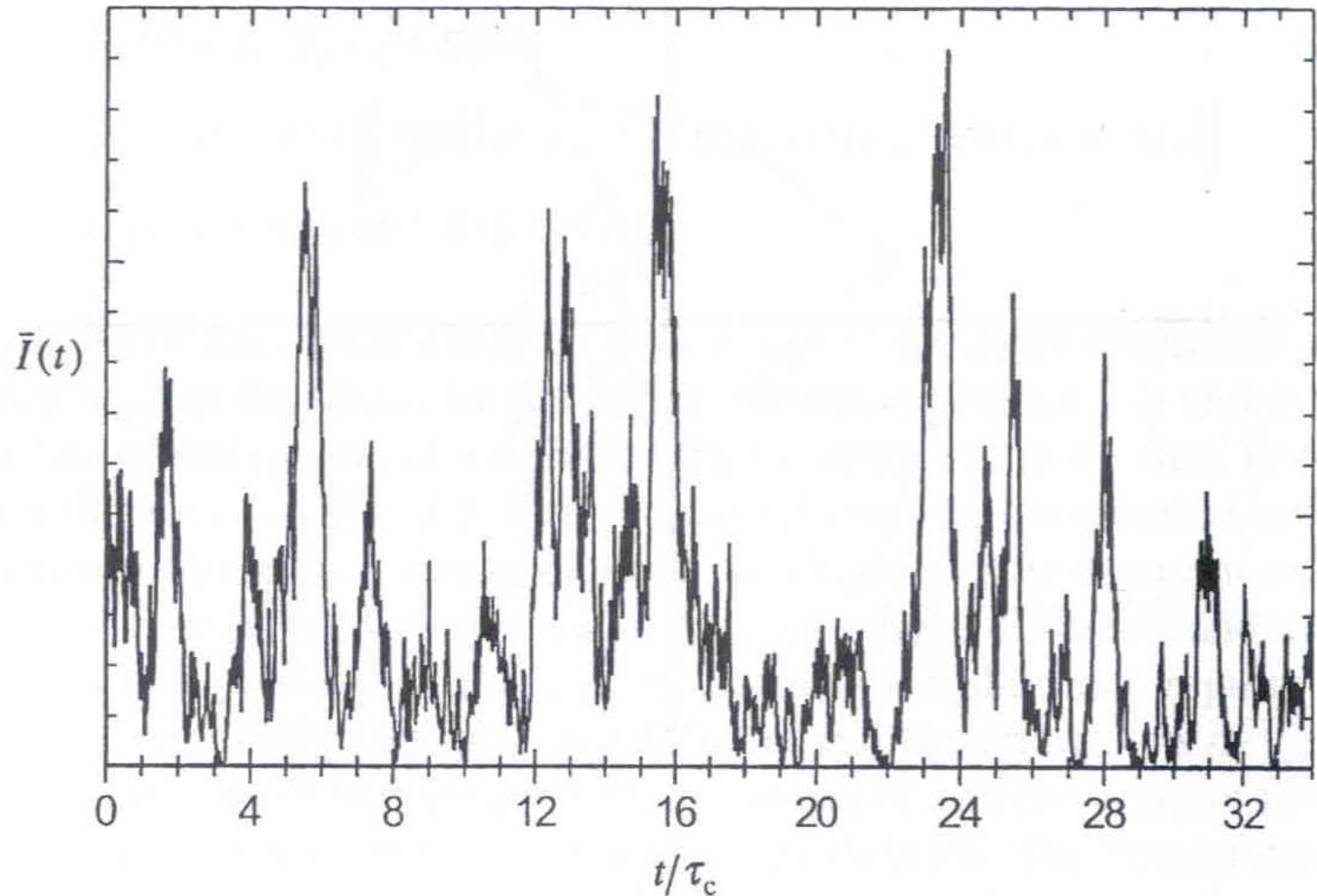
2nd order correlation function

Definition:

$$g^{(2)}(\tau) = \frac{\langle I(t) \cdot I(t + \tau) \rangle}{\langle I(t) \rangle \langle I(t + \tau) \rangle} = \frac{\langle I(t) \cdot I(t + \tau) \rangle}{\langle I(t) \rangle^2}$$

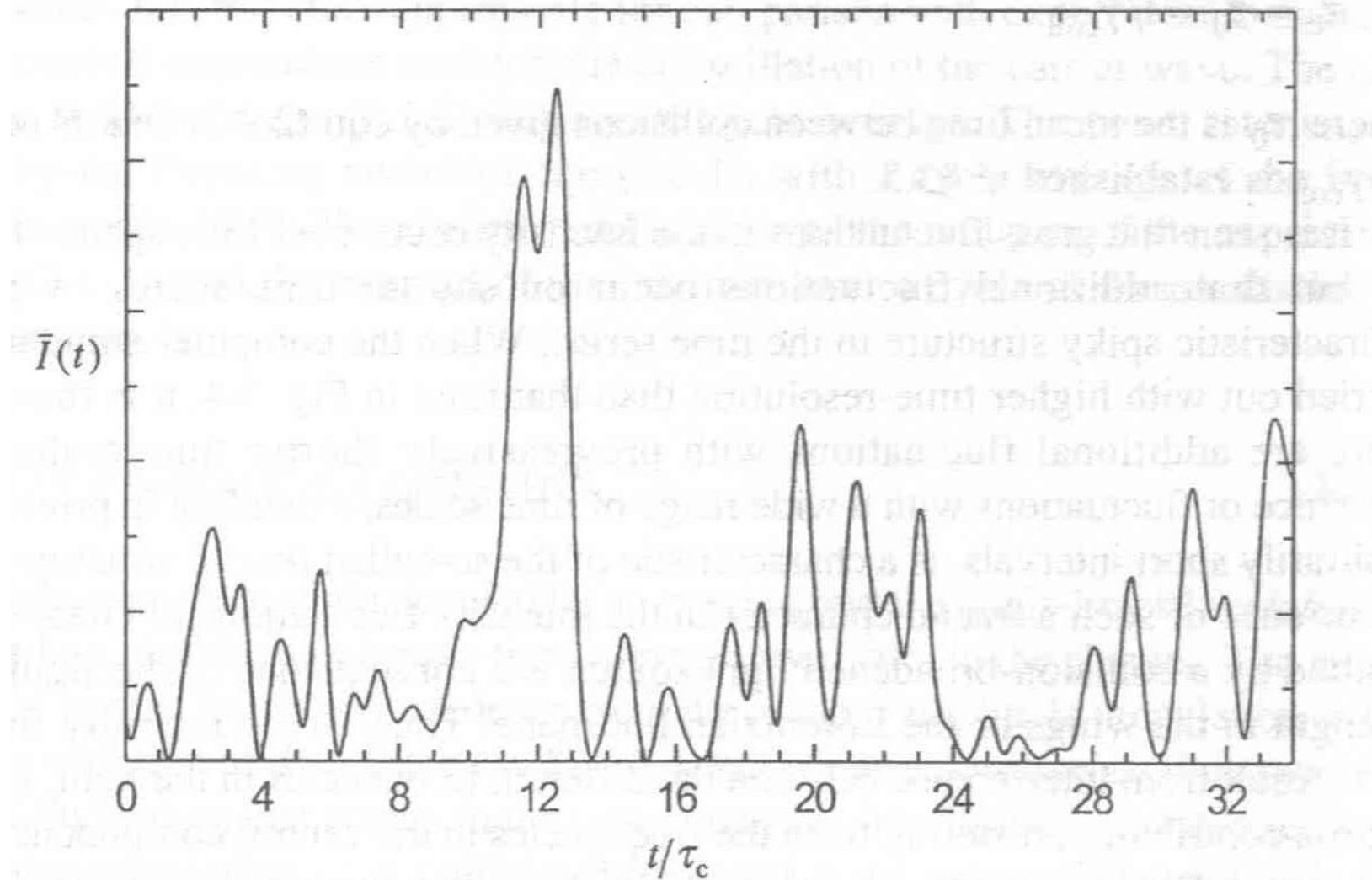
It measures **correlations in the intensity** of the light, instead of correlations in the electric field.

Random Phase Chaotic Light Source (*Lorentzian*)



[computer simulation, from Quantum Theory of Light, by R. Loudon (2000)]

Gaussian Spectrum Chaotic Light Source



[computer simulation, from Quantum Theory of Light, by R. Loudon (2000)]