

Monday, February 2, 2026

Kepler's Laws : Applicability

1st Law : All orbits are ellipses, circles, parabolas or hyperbolas.

Apply
everywhere

2nd Law : Law of equal areas

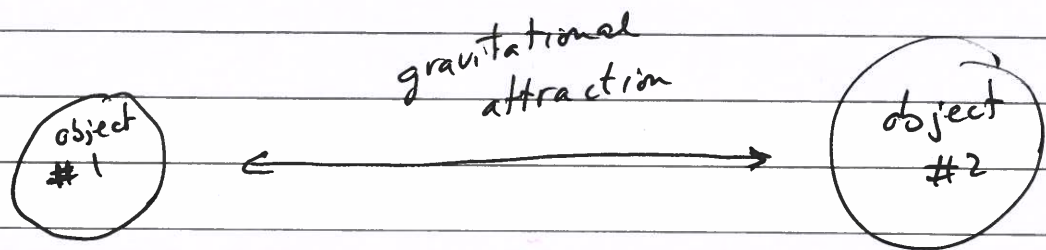
3rd Law :

$$T^2 = a^3$$

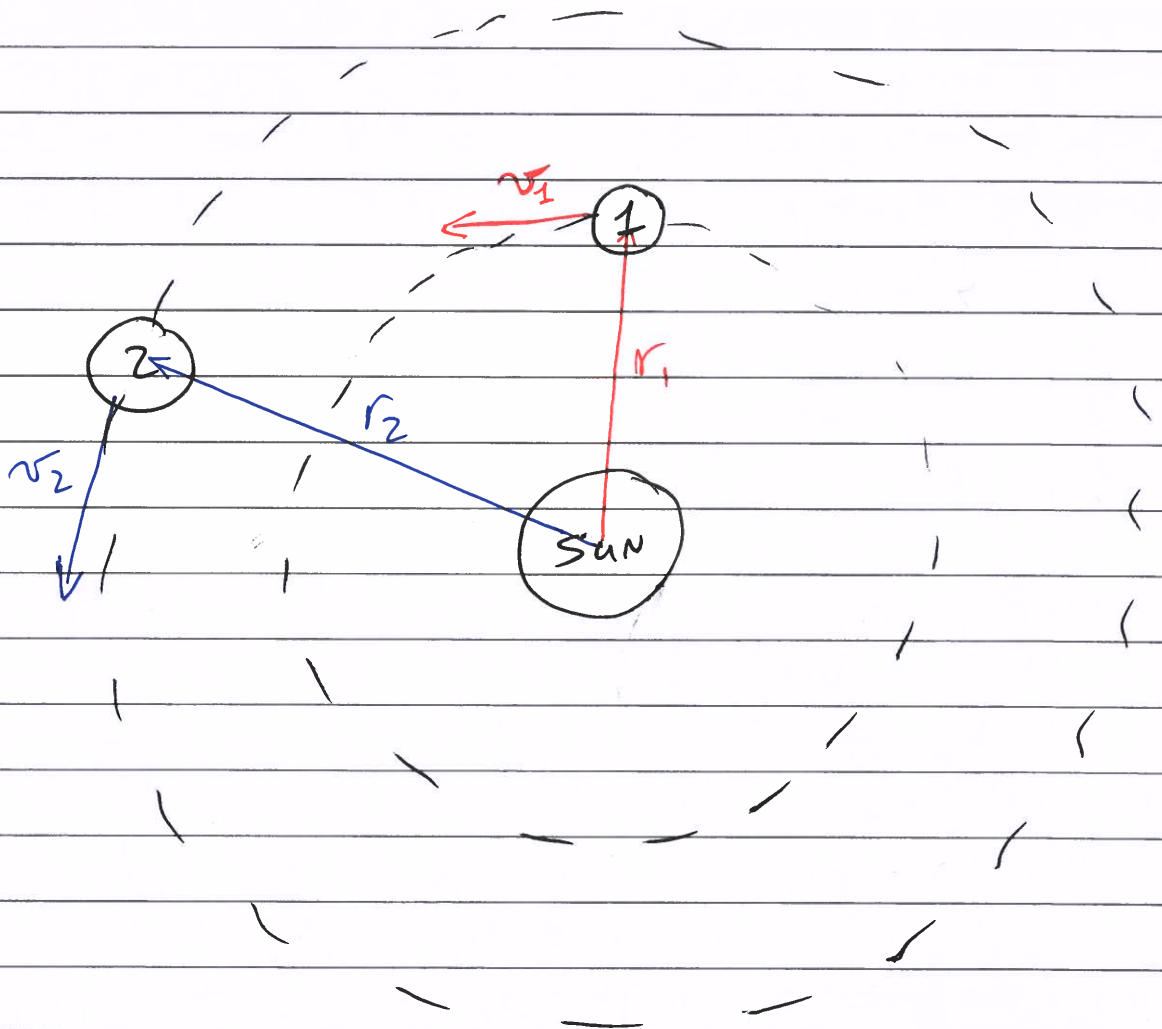
T = orbital
period in Earth
years

a = semi-major axis
in A.U.

It "should" apply everywhere,
but units only make it valid for our Solar System

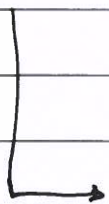


Orbital Speed vs Orbital Distance



Assume circular orbits for simplicity

[good approximation for our solar system]



$$\begin{cases} r_1 = a_1 \\ r_2 = a_2 \end{cases} \quad (\text{semimajor axes})$$

Let's calculate the velocity/speed:

$$\text{orbital circumference} = 2\pi r$$

orbital period = $T = \frac{2\pi r}{v} \quad (1) \Leftrightarrow v = \frac{2\pi r}{T}$

orbital
speed

Kepler's 3rd Law : $T^2 = a^3 = r^3$

$(\Rightarrow) T = r^{3/2} = \sqrt{r^3} \quad (2)$

combine (1) and (2) : $\frac{2\pi r}{v} = T = r^{3/2}$

$(\Rightarrow) \frac{2\pi r}{v} = r^{3/2} \quad (\Rightarrow) v = \frac{2\pi r}{r^{3/2}}$

$(\Rightarrow) v = \frac{2\pi}{r^{1/2}}$

$(\Rightarrow) v = \frac{2\pi}{\sqrt{r}}$

units of AU/yr

units of AU

Conclusion: The further out a planet is, the slower its speed